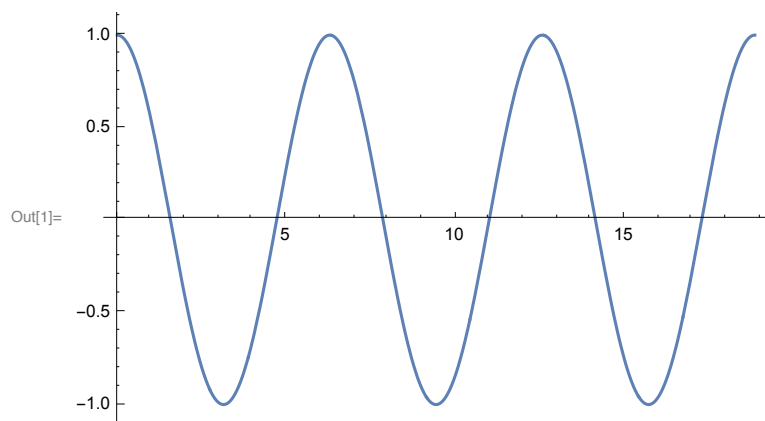
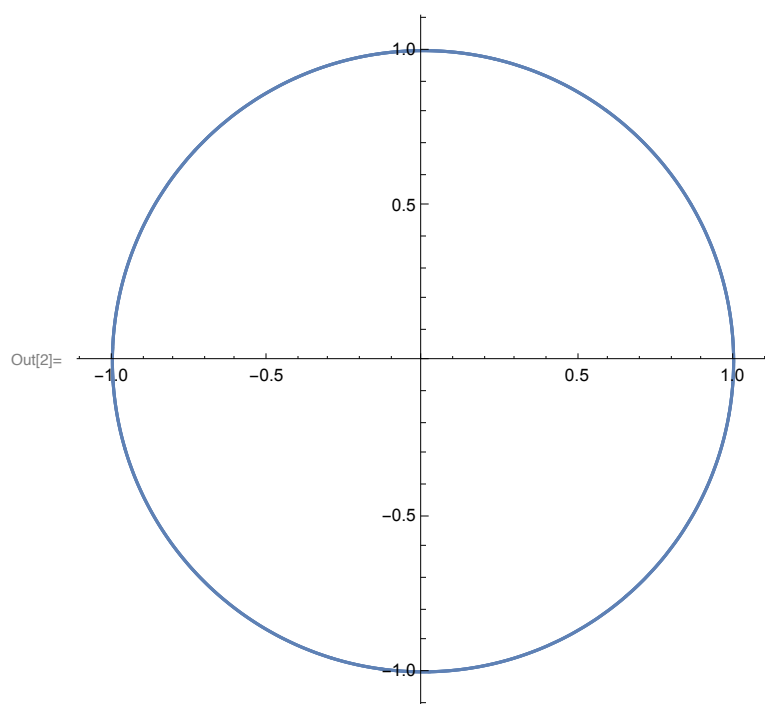


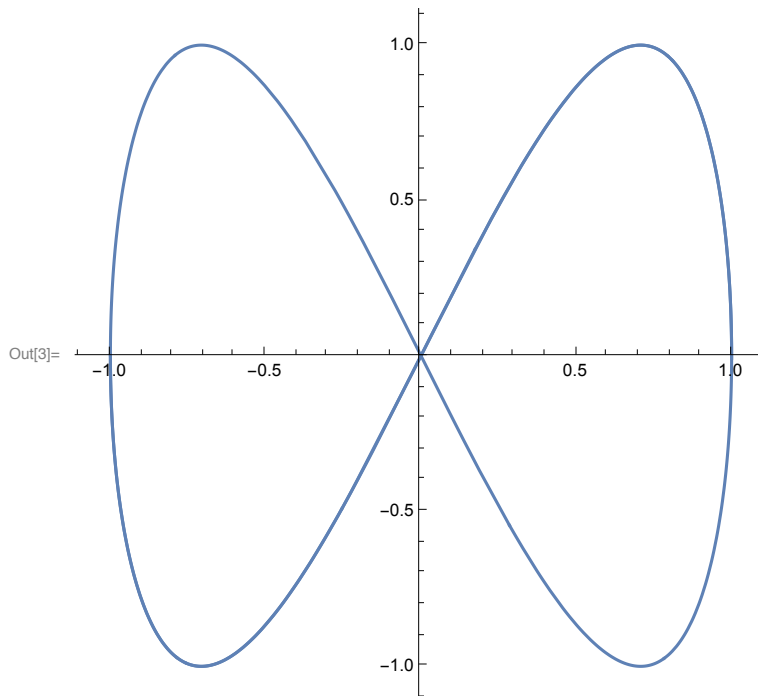
In[1]:= **Plot[Cos[t], {t, 0, 6 Pi}]**



In[2]:= **ParametricPlot[{Cos[t], Sin[t]}, {t, 0, 6 Pi}]**



```
In[3]:= ParametricPlot[{Cos[t / 2], Sin[t]}, {t, 0, 6 Pi}]
```



```
In[4]:= {x, y}
```

```
Out[4]= {x, y}
```

```
In[5]:= MatrixForm[{x, y}]
```

```
Out[5]//MatrixForm=
```

$$\begin{pmatrix} x \\ y \end{pmatrix}$$

```
In[6]:= {{Cos[phi], -Sin[phi]}, {Sin[phi], Cos[phi]}}
```

```
Out[6]= {{Cos[phi], -Sin[phi]}, {Sin[phi], Cos[phi]}}
```

```
In[7]:= MatrixForm[{{Cos[phi], -Sin[phi]}, {Sin[phi], Cos[phi]}}]
```

```
Out[7]//MatrixForm=
```

$$\begin{pmatrix} \cos[\phi] & -\sin[\phi] \\ \sin[\phi] & \cos[\phi] \end{pmatrix}$$

```
In[8]:= {{Cos[phi], -Sin[phi]}, {Sin[phi], Cos[phi]}} . {x, y}
```

```
Out[8]= {x Cos[phi] - y Sin[phi], y Cos[phi] + x Sin[phi]}
```

```
In[9]:= MatrixForm[{x Cos[phi] - y Sin[phi], y Cos[phi] + x Sin[phi]}]
```

```
Out[9]//MatrixForm=
```

$$\begin{pmatrix} x \cos[\phi] - y \sin[\phi] \\ y \cos[\phi] + x \sin[\phi] \end{pmatrix}$$

```
In[12]:= rot[phi_] := {{Cos[phi], -Sin[phi]}, {Sin[phi], Cos[phi]}}
```

In[13]:= **MatrixForm[rot[45 Degree]]**

Out[13]//MatrixForm=

$$\begin{pmatrix} \frac{1}{\sqrt{2}} & -\frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \end{pmatrix}$$

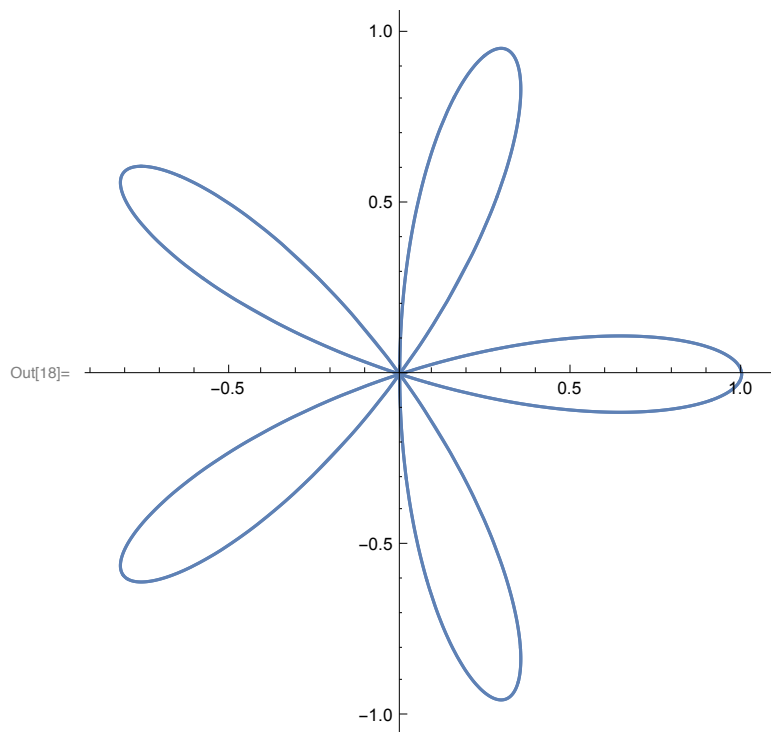
In[14]:= **omegaPendulum = 1.0;**

omegaEarth = 0.2;

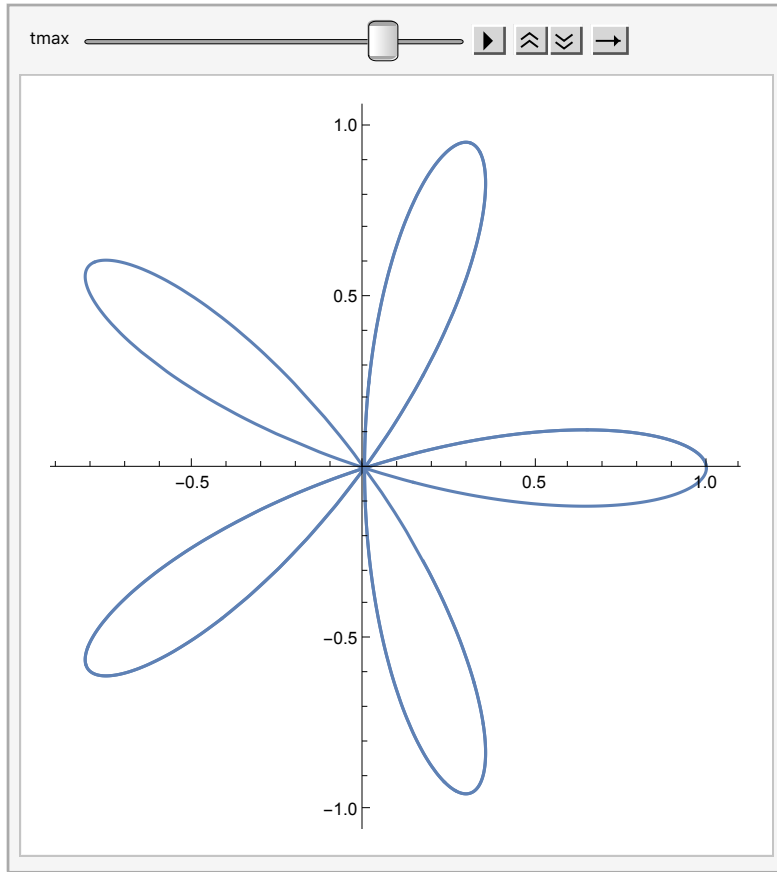
xy[t_] := {Cos[omegaPendulum*t], 0};

xyRot[t_] := rot[omegaEarth*t] . xy[t];

ParametricPlot[xyRot[t], {t, 0, 10 Pi}]



(* If this shows a blank graph, you need to do
"Evaluation" → "Evaluate Notebook" so that the
plot can use the definition of xyRot, etc. *)
Animate[ParametricPlot[xyRot[t], {t, 0, tmax}], {tmax, 0, 10 Pi}]



```
(* This adds a small circle to the plot, showing (x,y) at tmax *)
Animate[
  Show[
    ParametricPlot[xyRot[t], {t, 0, tmax}],
    Graphics[Circle[xyRot[tmax], 0.05]]
  ],
  {tmax, 0, 40 Pi},
  AnimationRate -> 0.03
]
```

